

ctzrqf.f(3)

LAPACK

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NAME

ctzrqf.f –

SYNOPSIS**Functions/Subroutines**subroutine **ctzrqf** (M, N, A, LDA, TAU, INFO)**CTZRQF****Function/Subroutine Documentation**subroutine **ctzrqf** (integerM, integerN, complex, dimension(lda, *)A, integerLDA, complex, dimension(*)TAU, integerINFO)**CTZRQF****Purpose:**

This routine is deprecated and has been replaced by routine CTZRZF.

CTZRQF reduces the M-by-N ($M \leq N$) complex upper trapezoidal matrix A to upper triangular form by means of unitary transformations.

The upper trapezoidal matrix A is factored as

$$A = \begin{pmatrix} R & 0 \end{pmatrix} * Z,$$

where Z is an N-by-N unitary matrix and R is an M-by-M upper triangular matrix.

Parameters:*M*

M is INTEGER

The number of rows of the matrix A. $M \geq 0$.*N*

N is INTEGER

The number of columns of the matrix A. $N \geq M$.*A*

A is COMPLEX array, dimension (LDA,N)

On entry, the leading M-by-N upper trapezoidal part of the array A must contain the matrix to be factorized.

On exit, the leading M-by-M upper triangular part of A contains the upper triangular matrix R, and elements M+1 to N of the first M rows of A, with the array TAU, represent the unitary matrix Z as a product of M elementary reflectors.

LDA

LDA is INTEGER

The leading dimension of the array A. $LDA \geq \max(1,M)$.*TAU*

TAU is COMPLEX array, dimension (M)

The scalar factors of the elementary reflectors.

INFO

INFO is INTEGER

= 0: successful exit

< 0: if INFO = -i, the i-th argument had an illegal value

Author:

Univ. of Tennessee

Univ. of California Berkeley



Univ. of Colorado Denver

NAG Ltd.

Date:

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Further Details:

The factorization is obtained by Householder's method. The k th transformation matrix, $Z(k)$, whose conjugate transpose is used to introduce zeros into the $(m - k + 1)$ th row of A , is given in the form

$$Z(k) = \begin{pmatrix} I & 0 \\ 0 & T(k) \end{pmatrix},$$

where

$$T(k) = I - \tau u(k) u(k)^H, \quad u(k) = \begin{pmatrix} 1 \\ 0 \\ z(k) \end{pmatrix},$$

τ is a scalar and $z(k)$ is an $(n - m)$ element vector. τ and $z(k)$ are chosen to annihilate the elements of the k th row of X .

The scalar τ is returned in the k th element of TAU and the vector $u(k)$ in the k th row of A , such that the elements of $z(k)$ are in $a(k, m + 1)$, ..., $a(k, n)$. The elements of R are returned in the upper triangular part of A .

Z is given by

$$Z = Z(1) * Z(2) * \dots * Z(m).$$

Definition at line 139 of file ctzrqf.f.

Author

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